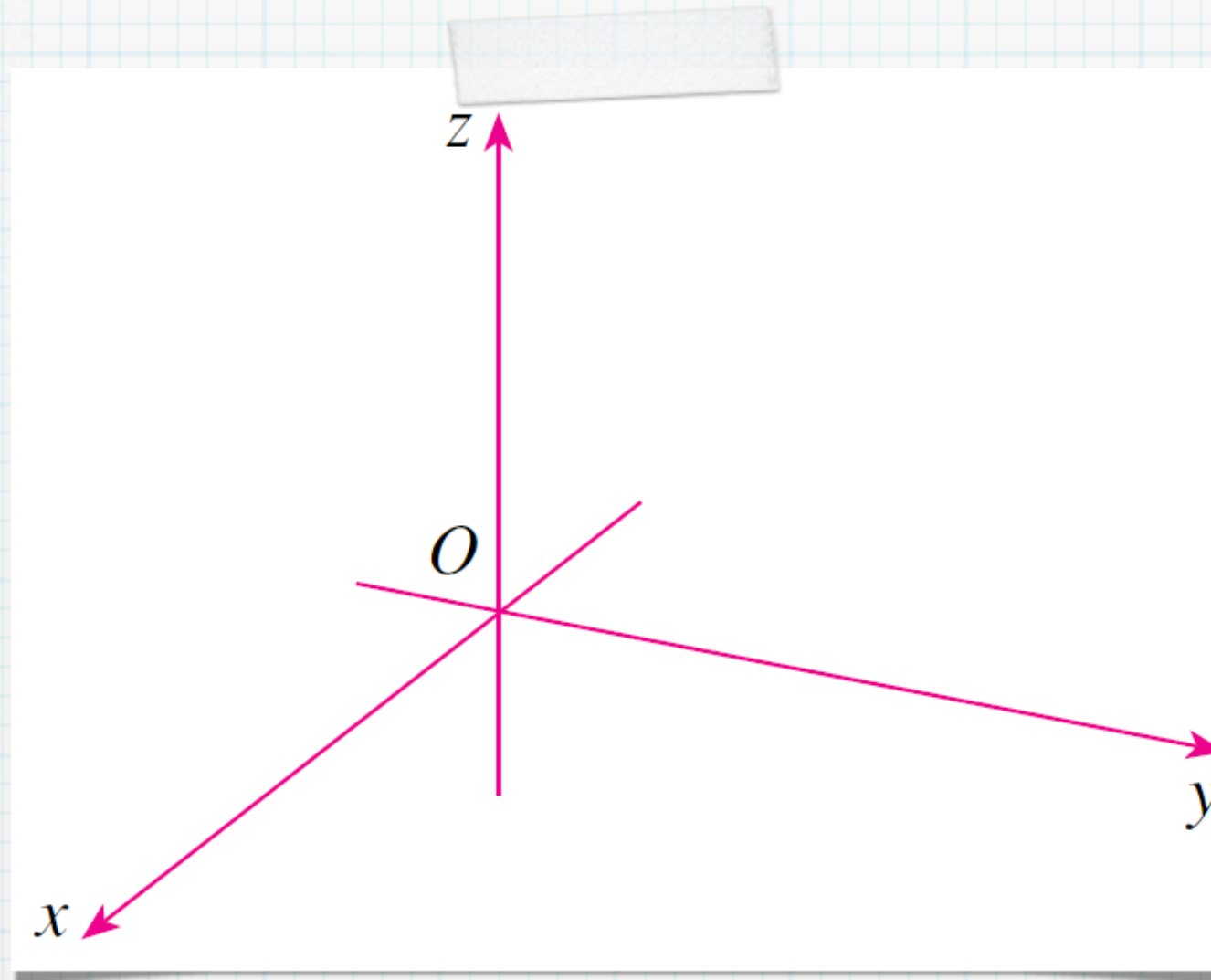
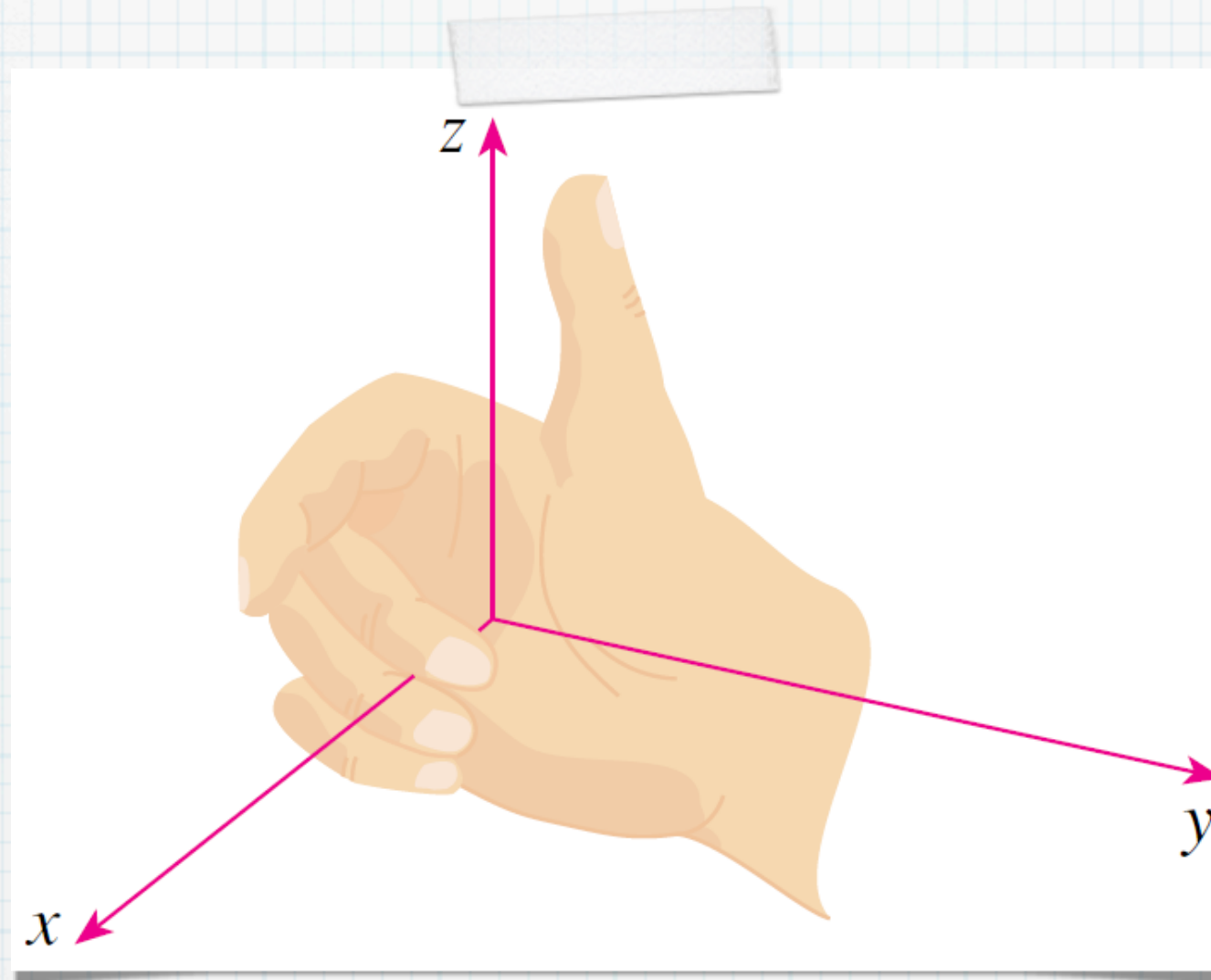


Section 9.1

3D coordinate systems



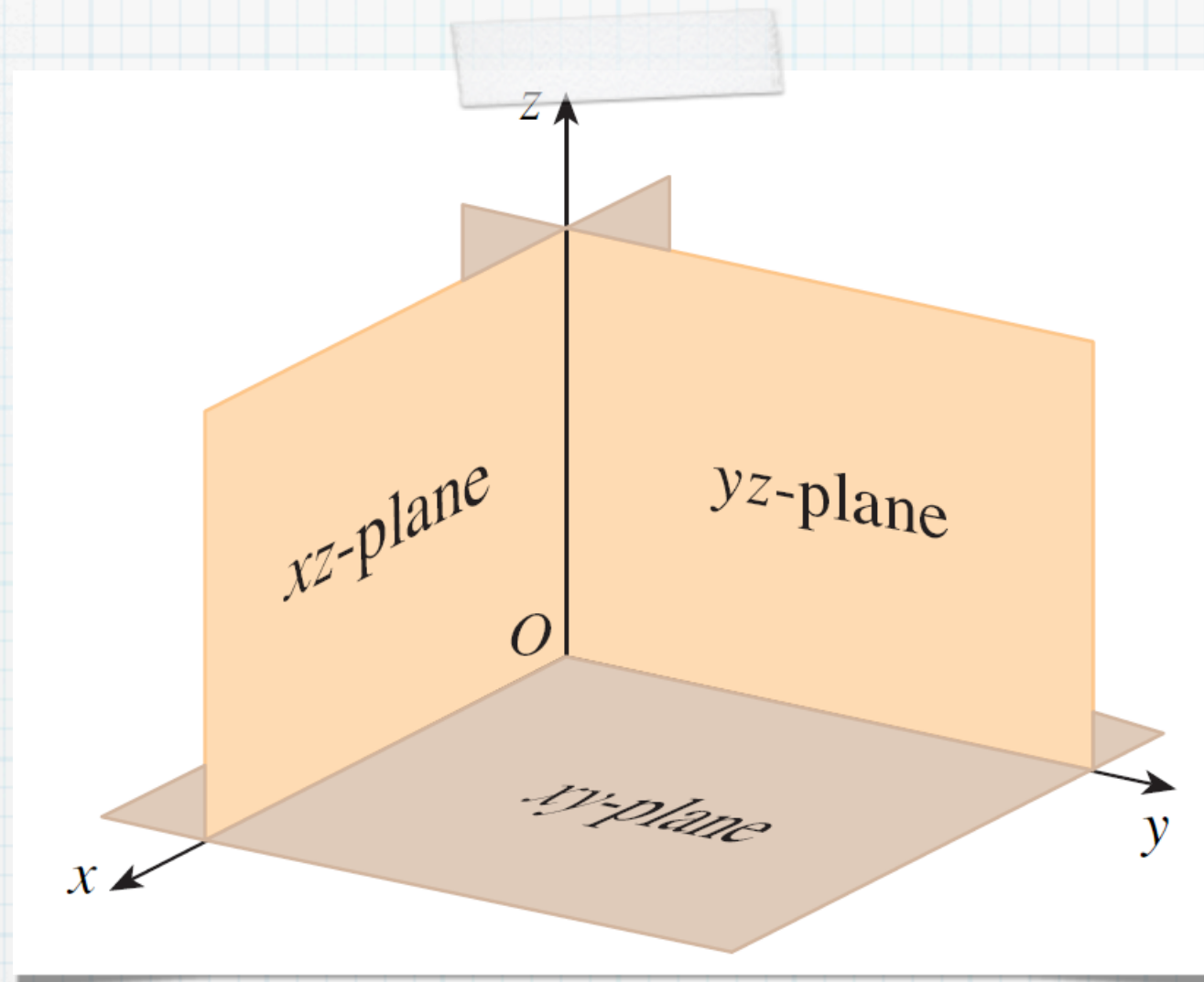
Rectangular Coordinates



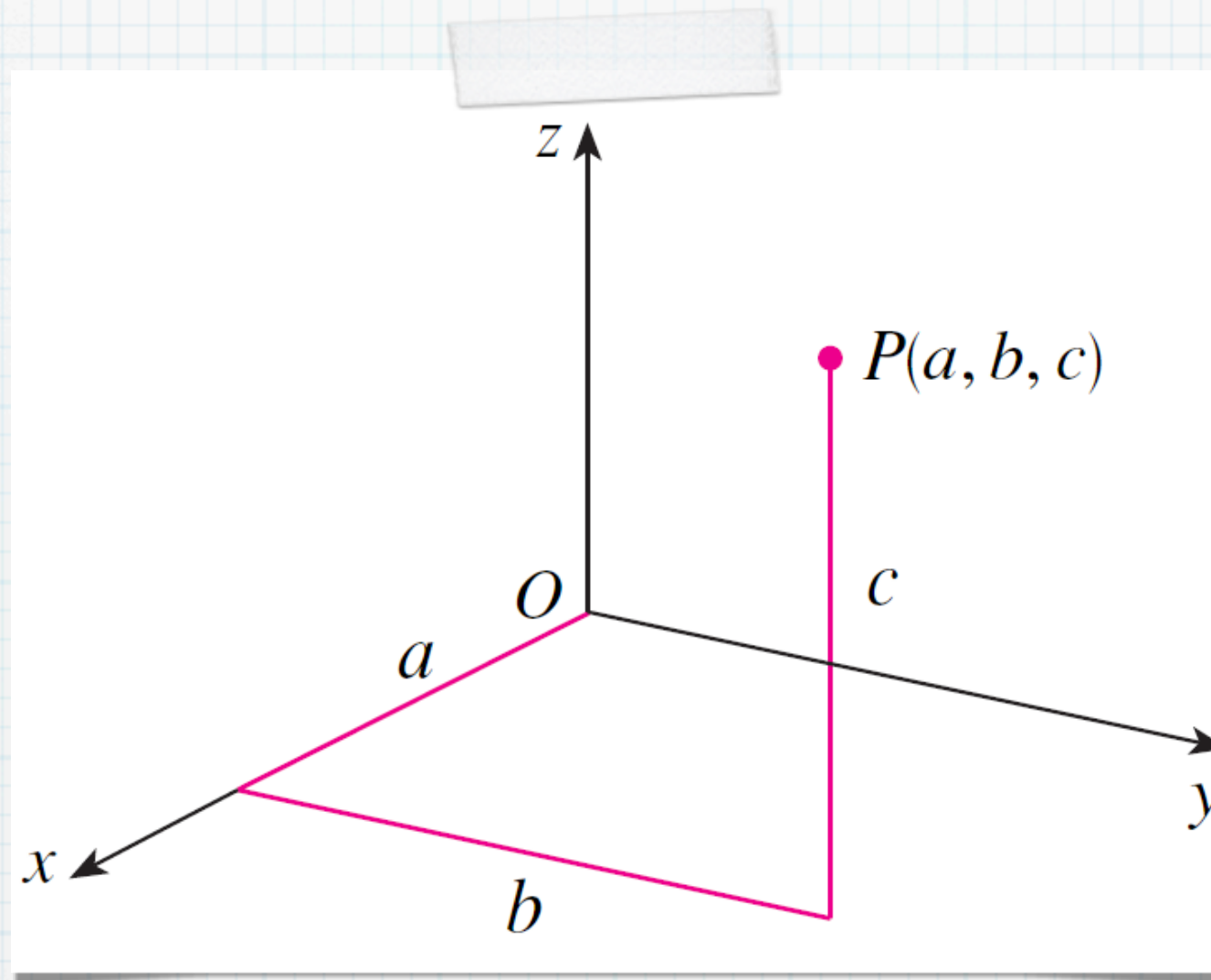
Right Hand Rule

To Do

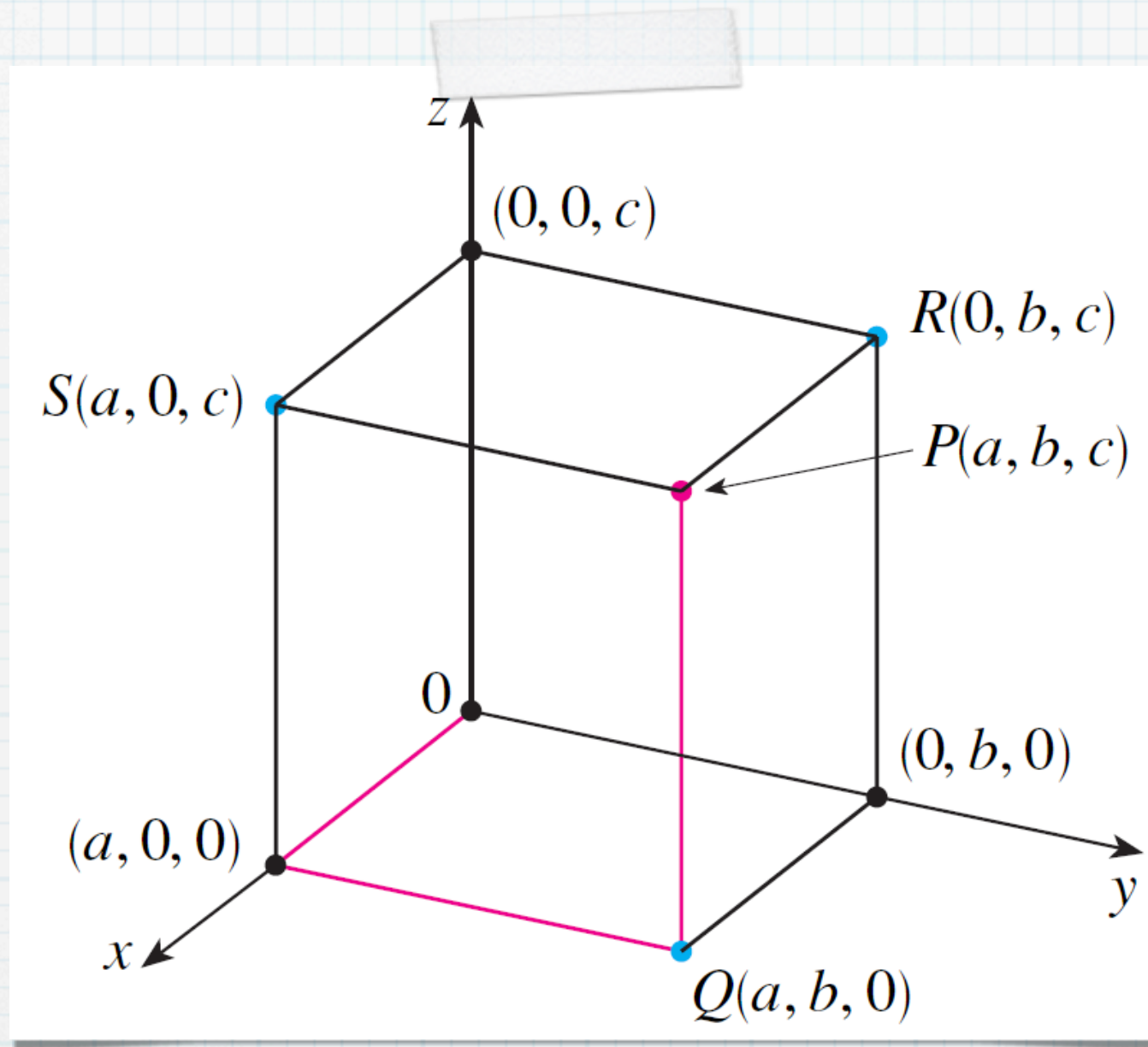
- * Create a set of coordinate axes
- * Do the 3D coordinate axes worksheet.



Coordinate Planes



Coordinates



Projections

The Space \mathbb{R}^3

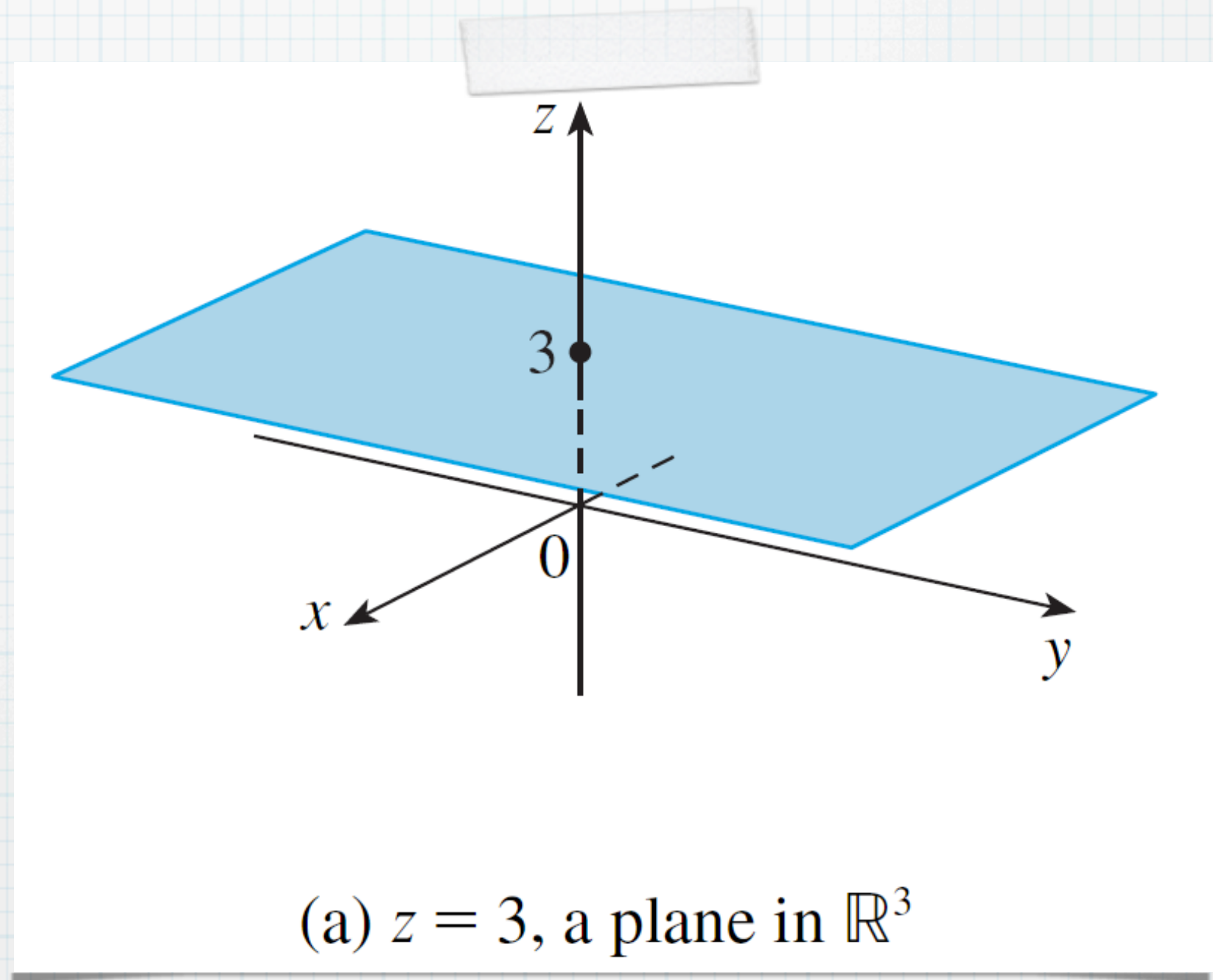
- * Cartesian Product:
 $\mathbb{R} \times \mathbb{R} \times \mathbb{R} = \{(x, y, z) \mid x, y, z \text{ real numbers}\}$
- * Set of all ordered triples

To Do

- * Points in the xyz coordinate system worksheet

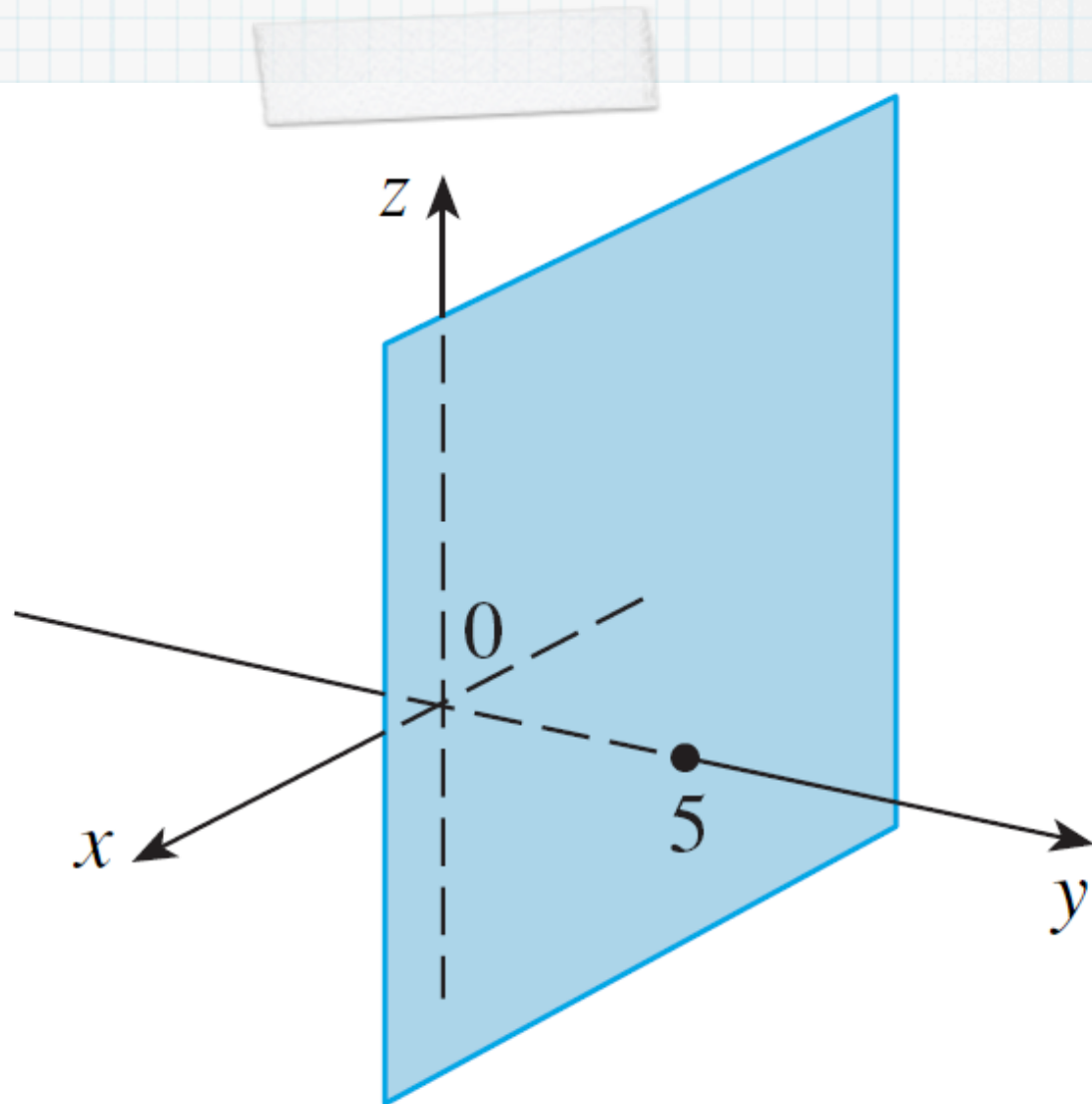
Surfaces in \mathbb{R}^3

* $z=3$



Surfaces in \mathbb{R}^3

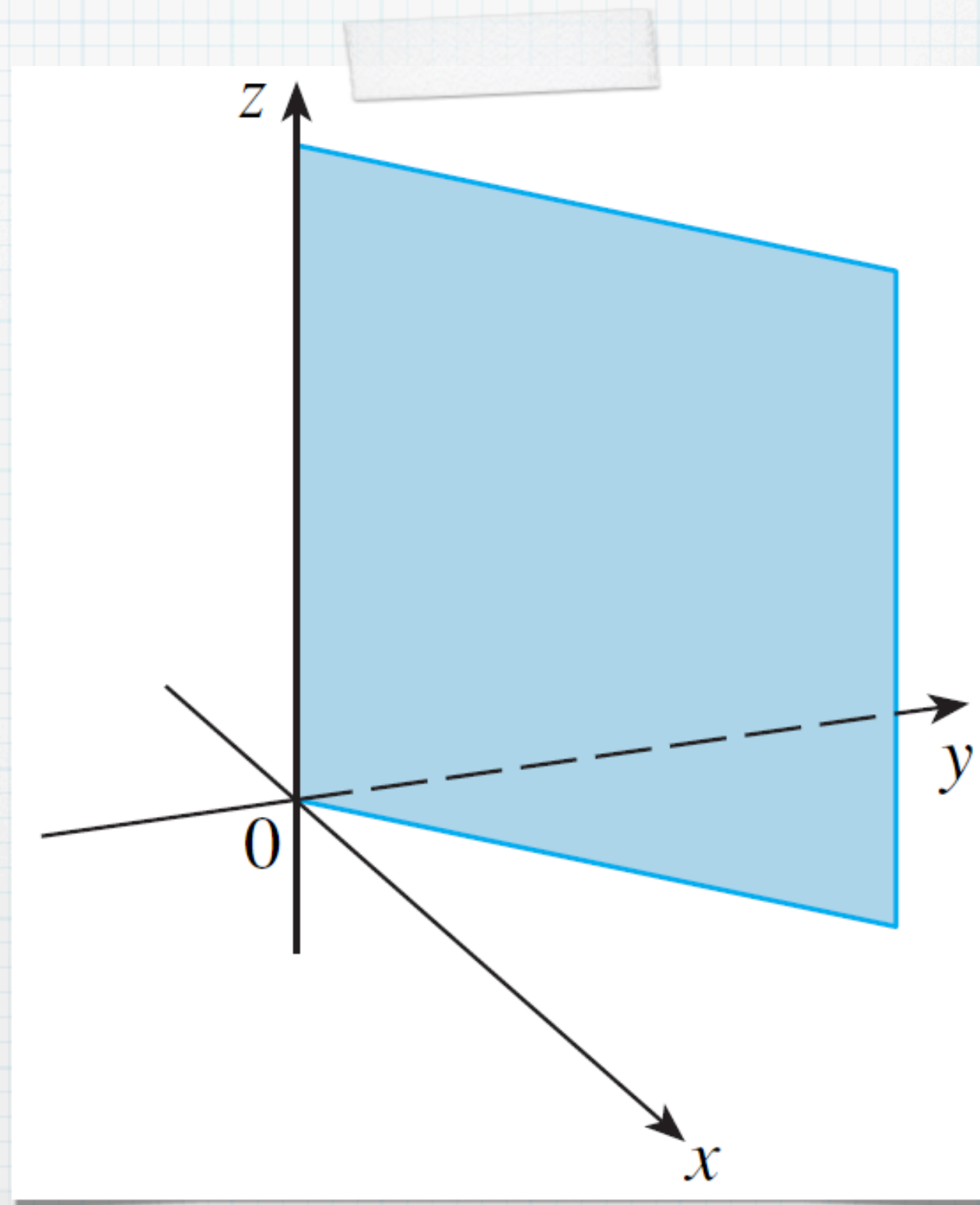
* $y=5$



(b) $y = 5$, a plane in \mathbb{R}^3

Surfaces in \mathbb{R}^3

* $y=x$



To Do

- * Section 9.1 Group Work: Fun with Visualization
- * Working with surfaces in 3D space

Other Formulas

* Distance Formula

* Equation of a Sphere

Distance Formula in Three Dimensions The distance $|P_1P_2|$ between the points $P_1(x_1, y_1, z_1)$ and $P_2(x_2, y_2, z_2)$ is

$$|P_1P_2| = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$$

Equation of a Sphere An equation of a sphere with center $C(h, k, l)$ and radius r is

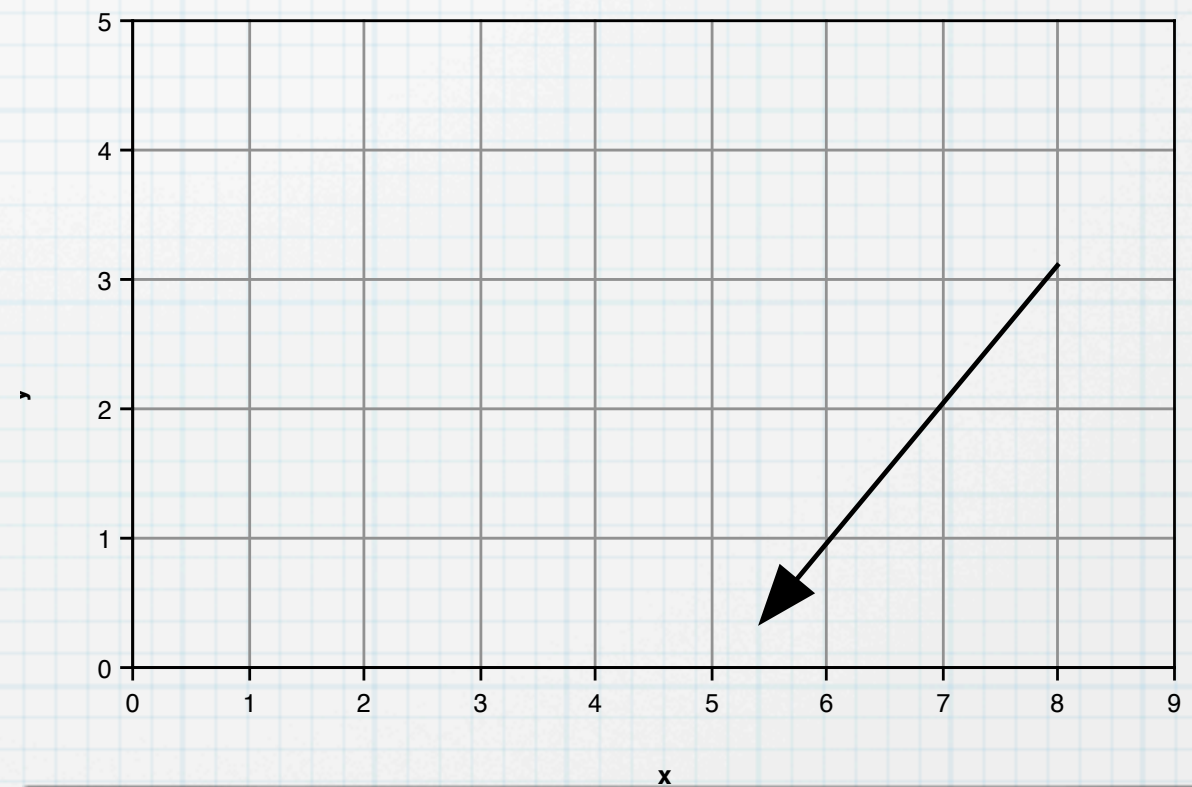
$$(x - h)^2 + (y - k)^2 + (z - l)^2 = r^2$$

In particular, if the center is the origin O , then an equation of the sphere is

$$x^2 + y^2 + z^2 = r^2$$

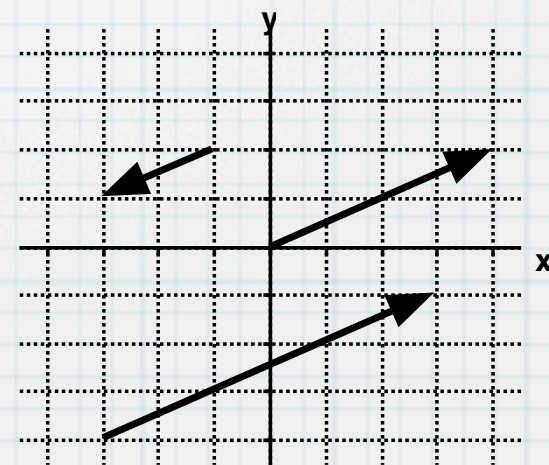
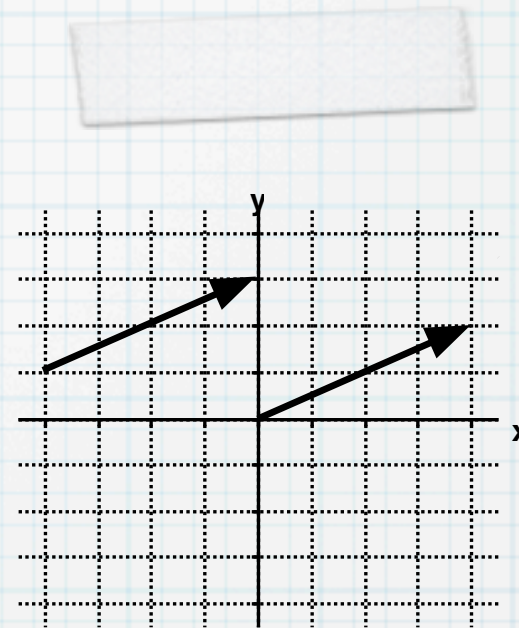
Vectors

- * 2D Vectors
- * Initial point (Tail)
- * Terminal point (Head)
- * Components



Terminology and Notation

- * Points
- * Components
- * Standard Position
- * Parallel
- * Length (Magnitude)



To Do

* **Vectors in the plane Worksheet**

To Do

- * Read Sections 9.1-9.4
- * Answer the Reading Questions
- * Do WebAssign Assignment 1
- * Finish all in-class worksheets
- * Do Mathematica 1 Assignment